

Monographs

Antonino Maugeri, Dian K. Palagachev & Lubomira G. Softova: [*Elliptic and Parabolic Equations with Discontinuous Coefficients*](#), Mathematical Research, Volume 109, Wiley-VCH, Berlin-Weinheim-New York-Chichester-Brisbane-Singapore-Toronto (2000), 256 p. DOI <http://dx.doi.org/doi:10.1002/3527600868>

Printed version (ISBN: 3-527-40135-0) October 2000

[Online version \(ISBN: 3-527-60086-8\) September 2003](#)

Peter R. Popivanov & Dian K. Palagachev: [*The Degenerate Oblique Derivative Problem for Elliptic and Parabolic Equations*](#), Mathematical Research, Vol. 93, Akademie Verlag (Wiley-VCH), Berlin (1997), 153 p.

Printed version (ISBN: 3-527-40112-1) January 1997

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